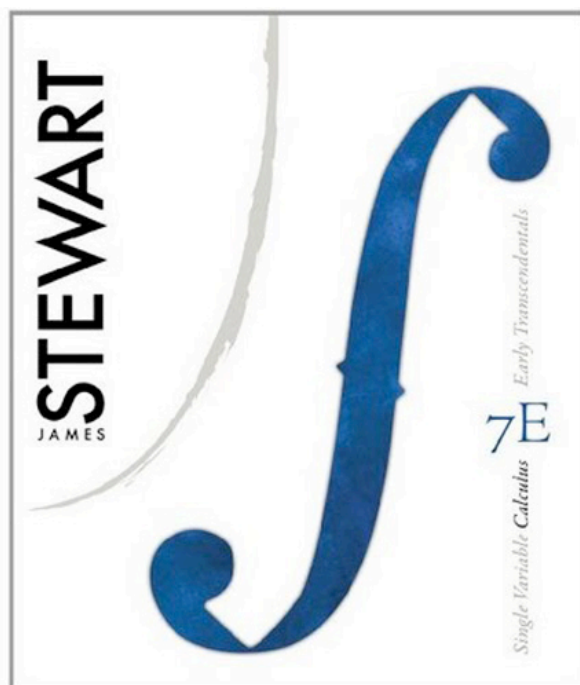


Textbook Information

Math 207 GH – Calculus 1
Fall 2014

The class's textbook policy is as follows. **Students must have a textbook but it does NOT have to be the official textbook designated for this course.** This policy is intended to lower textbook costs. Usually students can purchase a textbook for the course under \$40.

The textbook for this course is the 7th edition of *Calculus, Early Transcendentals* by James Stewart (Books/Cole, 2012; ISBN Number: 978-0-538-49790-9 or 978-0-8400-5885-0). Students are welcome to use any previous edition at a much lower cost. Students also may rent or purchase e-versions of a calculus book



Students also may use other calculus books. However, it is essential that students use a text that is labeled **early transcendentals**. These include any early transcendental version (any edition) of calculus textbooks written by:

Soo T. Tan
George B Thomas
Ron Larson

Jerrold E. Marsden
Deborah Hughes-Hallett
William Briggs

Those students who intend to pursue mathematics as their major, they will see calculus again, later in their undergraduate studies. That second glimpse into calculus will include much more rigor and in-depth knowledge. For that adventure, Michael Spivak's *Calculus* text is highly recommended.

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